

Proof. From Theorem 3.1 we have $f_k(x; \{t\}) = \left[\frac{f(x)}{x-t} \right]_k + k! \frac{f(t)}{(x-t)^2}$. So if $g(t) = f_k(x; \{t\})$, then g has Darboux property in $[a, b] - \{x\}$. Now by Theorem 3.3, $f_k(x; V)$ is divided difference of g at the points of V . Hence by Theorem 3.1 of [2] the result follows.

References

- [1] Fejzic H, Svetic R E and Weil C E (2010) : Differentiation of n-convex functions . *Fund. Math.* 209 ,No.1 9-25 Zbl 1202.26008
- [2] Mukhopadhyay S N, Ray S (2009) : Mean value Theorems for divided differences and approximate Peano derivatives. *Mathematica Bohemica* 134 No. 2, 165-171. Zbl 1212.26075